ritphotonics

# Photonic engineering of atomic sensors 

Jennifer T. Choy<br>Department of Engineering Physics, University of Wisconsin - Madison

Photonics for Quantum 2
July 15, 2020

## Outline

Introduction:
Atom-based quantum sensing


Opportunities for integrated nanophotonics in next-generation atomic sensors


Atomic sensor example:
Cold-atom accelerometer and gyroscope


Draper Laboratory

## Contributors and funding support on presented work

Chip-Scale Combinatorial Atomic Navigator development at Draper:

- Dave Johnson (Program manager)
- Jen Choy (Technical director)
- Alex Gill
- Christine Wang
- Steve Byrnes
- Krish Kotru

Part of this work was supported by the Defense Advanced Research Projects Agency (DARPA), under the Chip-Scale Combinatorial Atomic Navigator (C-SCAN) program.

The views, opinions, and/or findings expressed are those of the author(s) and should not be interpreted as representing the official views or policies of the Department of Defense or the U.S. Government.

Team at UW-Madison:

- Xuting Yang
- Ricardo Vidrio
- Sarah Francis
- John (Jack) Doyle


## Collaborators at UW-Madison

- Mikhail Kats
- Ray Wambold
- Thad Walker

Funding support from the Office of Naval Research (N00014-20-1-2598) and the Wisconsin Alumni Research Foundation


## Concept of atom-based quantum sensing

## Rb-87 transitions



- Transitions with high frequencies lead to high measurement resolution
- Strong interactions between atoms and physical quantities enable sensitive measurements
- Properties of well-isolated atoms, including their interactions with the environment, are stable over time
- Atoms of the same element and isotope are identical $\rightarrow$ ideal measurement standards!


## Essential atom-photon interactions for quantum measurements



## Current and future applications of quantum sensing platforms



## Accurate navigation and guidance

> Navigation systems

$$
\begin{array}{ll}
\text { NASA. } .65 .3973 & \text { APOLLO }
\end{array}
$$

INNER, MIDDLE \& OUTER GIMBAL ASSEMBLIES


Magnetic field map


## Classical vs quantum ways to measure inertial motion

Inertial sensors measure the displacement of some object ("proof mass") in response to acceleration or rotation


- Tethered mechanical proof mass
- Variability in manufacturing
- Sensor response can degrade with changing environment

- Frictionless, reproducible, identical proof masses
- Stable electron energy levels provide both sensitivity and stability
- Implementation challenges
- Size and complexity of setups
- Performance degrades under dynamic environments (data rate and physical constraints)


## Inertial sensing with atoms

Proof masses (atom clouds) thrown towards each other at speed v
Case at rest



## Inertial sensing with atoms

Proof masses (atom clouds) thrown towards each other at speed v

## Case at rest

Case under acceleration

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## Inertial sensing with atoms

Proof masses (atom clouds) thrown towards each other at speed v

## Case at rest




Case under acceleration


## Inertial sensing with atoms

Proof masses (atom clouds) thrown towards each other at speed v

Case at rest



Case under acceleration


Case under rotation
acceleration $d_{1}+d_{2} \propto a_{1} \sim d_{2} \propto \Omega \times \underbrace{\substack{\text { launch } \\ \text { rate } \\ \text { velocity }}}_{\text {rotation }}$


- Sensitivity scales with time-of-flight
- We use atom interferometry to measure displacements


## Measuring displacements: Atom Interferometry

Implement a Mach Zehnder Interferometer... with atoms
Trajectory of 1 atom shown (at rest)


We will use laser pulses to implement the beamsplitter, mirror, and mixer, via two-photon Raman transitions.

## Measuring displacements: Atom Interferometry

Trajectory of 1 atom shown (at rest and under acceleration)


Difference between $\phi$ (under motion) and $\phi$ (at rest):

$$
\Delta \phi=(\vec{k} \cdot \vec{a}) T^{2}+2 \vec{k} \cdot(\vec{\Omega} \times \vec{v}) T_{\text {wavevector }}^{2}, ~ \text { where } T=v L
$$

## Measuring displacements: Atom Interferometry

Trajectory of 1 atom shown (at rest and under acceleration)


To obtain both acceleration and rotation, we need
two interferometers with opposite $\mathbf{v}$

$$
\begin{aligned}
\Delta \phi(\text { acceleration }) & =\frac{\Delta \phi_{\text {cloud } 1}+\Delta \phi_{\text {cloud } 2}}{2}=\vec{k} \cdot \vec{a} T^{2} \\
\Delta \phi(\text { rotation }) & =\frac{\Delta \phi_{\text {cloud } 1}-\Delta \phi_{\text {cloud } 2}}{2}=2 \vec{k} \cdot(\vec{\Omega} \times \vec{v}) T^{2}
\end{aligned}
$$

## Cold atom dual accelerometer-gyroscope (DARPA C-SCAN)

Neutral atom: ${ }^{85} \mathrm{Rb}$


Utilize microwave and optical transitions to excite/de-excite electrons between energy levels


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Neutral atom: ${ }^{85} \mathrm{Rb}$



Utilize microwave and optical transitions to excite/de-excite electrons between energy levels


## Measurement sequence: Atom Cooling and Trapping



## Measurement sequence: Launching



## Measurement sequence: State Preparation



## Measurement sequence: Interferometry

Two-photon Raman transitions:


$$
\begin{aligned}
& \begin{array}{rr}
\mathrm{F}=3 \text { atoms } & \mathrm{F}=2 \text { atom } \\
\hbar\left(k_{1}-k_{2}\right) \uparrow \mathrm{k}_{2} & \left\{\begin{array}{l}
\downarrow \mathrm{k}_{2}
\end{array}\right.
\end{array} \\
& \left\{\begin{array}{lll}
\text { § } & \hbar\left(k_{1}-k_{2}\right) \downarrow & 0 \\
\uparrow_{\mathrm{k}_{1}} & & \uparrow \mathrm{k}_{1}
\end{array}\right.
\end{aligned}
$$

Energy state is entangled to wave propagation direction


## Measurement sequence: Interferometry (Beamsplitter


$\hat{q}^{\Omega}$


## Measurement sequence: Interferometry

 (Beamsplitter - Mirror )

## Measurement sequence: Interferometry

 (Beamsplitter - Mirror - Mixer)

## Measurement sequence: State Detection



## Recapture

- Fast loading of atoms (few milliseconds vs seconds)
- Comparatively high data rates (> 30 Hz ) for an atom interferometer $\rightarrow$ better suited for dynamic environments than most existing cold atom interferometers


DR^PERSimilar work on an atomic gyroscope with atom recapturing: A. Rakholia, H. McGuinness, and G. Biedermann, Phys. Rev. Appl. 2, 054012 (2014)

## Assembled sensor

## Full system with two integrated sensors



Optical assembly for one sensor


## Static measurements

- Acceleration-sensitive axis parallel to ground $(\sim 0 g)$
- Rotation-sensitive axis pointing up (~10.5 deg/hr from Earth's rotation in Cambridge, MA)


## Static measurements

- Acceleration-sensitive axis parallel to ground ( $\sim 0 g$ )
- Rotation-sensitive axis pointing up ( $\sim 10.5 \mathrm{deg} / \mathrm{hr}$ from Earth's rotation in Cambridge, MA)



## Static measurements

- Acceleration-sensitive axis parallel to ground $(\sim 0 g)$
- Rotation-sensitive axis pointing up ( $\sim 10.5 \mathrm{deg} / \mathrm{hr}$ from Earth's rotation in Cambridge, MA) 1000x better accuracy than consumer devices

1 mg (consumer MEMS accelerometer) $100 \mathrm{deg} / \mathrm{hr}$ (consumer MEMS gyroscope)


For reference, $\sim 1 \mu \mathrm{~g}$ gravity difference between floors of a building



## Dynamic measurements

- Classical and atomic sensors mounted on same platform
- Good agreement between atomic and classical sensors
- Sensitivity of atomic sensor matches simple analytical expression: $\Delta \phi=\underbrace{(\vec{k} \cdot \vec{a}) T^{2}}_{\text {Acceleration }}+\underbrace{2 \vec{k} \cdot(\vec{\Omega} \times \vec{v}) T^{2}}_{\text {Rotation }}$

Apply small tilts to platform:


## Gentle rotation:



## Dynamic measurements on a rate table



## Size and complexity of most atomic sensors today



Mobile atomic gravimeter from Mueller lab (UC Berkeley)


Xuejian Wu et al. Sci Adv 2019;5:eaax0800

Challenges

- Thermal and mechanical instability
- Performance degradation during motion
- Assembly time and costs


## From labscale to chipscale



## Integrated nanophotonics for atoms

Chip-scale tetrahedral magneto-optical traps



Vangeleyn et al, Optics Express, 17, 16 (2009) Nshii et al, Nat. Nanotechnol., 8, 321-324 (2013)

Atomic spectroscopy on a chip


Yang et al, Nature Photon 1, 331-335 (2007)

Metasurfaces

M. Khorasaninejad and F. Capasso, Science 3586367 (2017)

Useful functionalities for atoms

- Polarization control
- Beam shaping and steering


## Optically pumped atomic magnetometer with flat optics



## Design of metasurface polarization components

- Approach based on Arbabi et al, Nature Nano 10, 937-943 (2015)
- Metasurface implemented by arrays of elliptical posts which provide independent phase shifts for different polarization axes

Elliptical post unit cell





## Back-propagation of desired vector field



## Our polarizing beamsplitter design



See other implementations of metasurface polarization beamsplitting:
[1] M. Khorasaninejad et al, Optica Vol. 2, Issue 4, pp.378-382(2015)
[2] B. A. Slovick et al, Phil. Trans. R. Soc. A375: 0072 (2016)
[3] E. Arbabi et al, ACS Photonics 5, 3132-3140 (2018)

## Simulated polarizing beamsplitter performance



Total transmission at $780 \mathrm{~nm} \sim 89 \%$


Extinction ratios: 150 for $x$-polarization 1100 for $y$-polarization

Broadband polarizing beamsplitter (Thorlabs):
Transmission > 90\%
Extinction ratio > 1000

## Simulated polarizing beamsplitter performance



Total transmission at $780 \mathrm{~nm} \sim 89 \%$


Extinction ratios: $\quad>22000$ for $x$-polarization
> 28000 for $y$-polarization

Broadband polarizing beamsplitter (Thorlabs):
Transmission > 90\%
Extinction ratio > 1000

## Summary

- Atom-photon interactions are at the heart of all quantum sensing measurements
- Photonic engineering crucial for atomic sensor development
- Cold-atom accelerometer and gyroscope demonstrated high sensitivity but presented integration and mobility challenges
- Integrated nanophotonics can address size and integration challenges of atomic sensors
- Development of photonic-integrated-atomic magnetometer underway

